

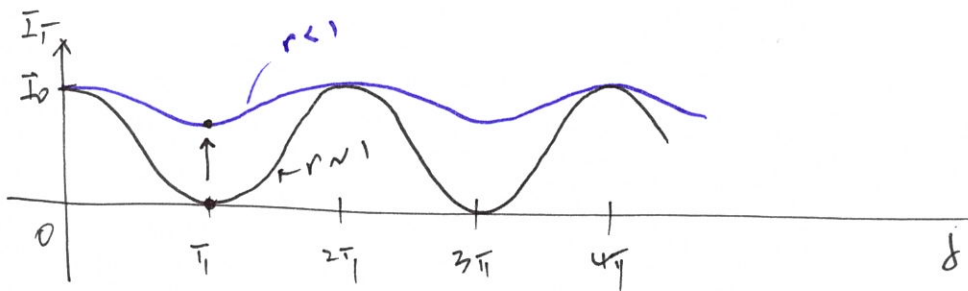
$$\begin{aligned}
 E_T &= E_0 e^{i\omega t} (tt' + tt'n^2 e^{-i\delta} + tt'r^4 e^{-i4\delta} + tt'r^6 e^{-i6\delta} + \dots) e^{-id} \\
 &= E_0 e^{i\omega t} e^{-id} tt' (1 + r^2 + r^4 + r^6 + \dots), \quad \chi = r^2 e^{-i\delta}, \quad \delta = 2n_f t \cos\theta_f \\
 &= E_0 e^{i\omega t} e^{-id} tt' \left(\frac{1}{1-\chi} \right) \\
 &= E_0 e^{i\omega t} e^{-id} \frac{1-r^2}{1-r^2 e^{-i2\delta}}
 \end{aligned}$$

$$\bar{I}_T = \bar{E}_T E_T^* = I_0 \frac{(1-r^2)^2}{1+r^4 - r^2(e^{i2\delta} + e^{-i2\delta})} = \frac{(1-r^2)^2}{1+r^4 - 2r^2 \cos\delta}$$

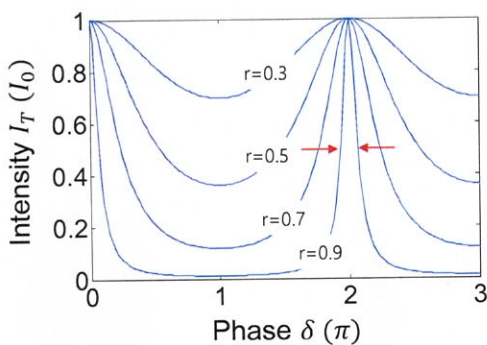
For $\delta = 0$, $\bar{I}_T = I_0$, regardless of r .

$\delta = \frac{\pi}{2}$, if $r \sim 1$, $\bar{I}_T = 0$; if $r \ll 1$, $\bar{I}_T \sim I_0$

$\delta = \pi$, $\bar{I}_T = \frac{(1-r^2)^2}{(1+r^2)^2} I_0$, if $r \sim 1$, $\bar{I}_T = 0$; if $r \ll 1$, $\bar{I}_T = I_0$



[Fabry-Perot Transmitted light]



```

%hw#5 2021.04.05
clear all
hold on
dx=pi/48;
pi3=3*pi;
x=[0:dx:pi3]; %path-length induced phase difference
r=.3; %reflectance coefficient
I=(1-r^2).^2./(1+r^4-2*r^2.*cos(x));
xx=x/pi;
plot(xx,I)
    
```